

Vetores

Physics for Scientists and Engineers, R. A. Serway and J. W. Jewett,
Cengage

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Cartesian Coordinate System

- Also called rectangular coordinate system
- x- and y- axes intersect at the origin
- Points are labeled (x,y)

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Polar Coordinate System

- Origin and reference line are noted
- Point is distance r from the origin in the direction of angle θ , ccw from reference line
- Points are labeled (r, θ)

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Polar to Cartesian Coordinates

- Based on forming a right triangle from r and θ
- $x = r \cos \theta$
- $y = r \sin \theta$

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Vectors and Scalars

- A **scalar quantity** is completely specified by a single value with an appropriate unit and has no direction.
- A **vector quantity** is completely described by a number and appropriate units plus a direction.

- A particle travels from A to B along the path shown by the dotted red line
 - This is the **distance** traveled and is a scalar
- The **displacement** is the solid line from A to B
 - The displacement is independent of the path taken between the two points
 - Displacement is a vector

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Adding Vectors Graphically

- Draw the vectors "tip-to-tail"

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Adding Vectors, Rules

- When two vectors are added, the sum is independent of the order of the addition.
 - This is the **Commutative Law of Addition**

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Adding Vectors, Rules cont.

- When adding three or more vectors, their sum is independent of the way in which the individual vectors are grouped.
 - This is called the **Associative Property of Addition**

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Subtracting Vectors

- Special case of vector addition

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Components of a Vector

The x-component of a vector is the projection along the x-axis

$$A_x = A \cos \theta$$

The y-component of a vector is the projection along the y-axis

$$A_y = A \sin \theta$$

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Unit Vectors

- A **unit vector** is a dimensionless vector with a magnitude of exactly 1.
- Unit vectors are used to specify a direction and have no other physical significance
- They form a set of mutually perpendicular vectors in a right-handed coordinate system

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Adding Vectors with Unit Vectors

- Note the relationships among the components of the resultant and the components of the original vectors
- $R_x = A_x + B_x$
- $R_y = A_y + B_y$

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